## **Practice A**

In Exercises 1 and 2, graph  $\triangle PQR$  with vertices P(-1, 5), Q(-4, 3), and R(-2, 1)and its image after the similarity transformation.

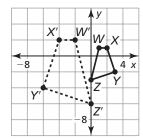
**1. Rotation:** 180° about the origin

**2.** Dilation:  $(x, y) \rightarrow \left(\frac{1}{2}x, \frac{1}{2}y\right)$ 

**Dilation:**  $(x, y) \rightarrow (2x, 2y)$ 

**Reflection:** in the x-axis

3. Describe a similarity transformation that maps the black preimage onto the dashed image.



In Exercises 4 and 5, determine whether the polygons with the given vertices are similar. Use transformations to explain your reasoning.

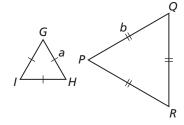
**4.** 
$$A(-2, 5), B(-2, 2), C(-1, 2)$$
 and  $D(3, 3), E(3, 1), F(2, 1)$ 

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$$A(-2, 5), B(-2, 2), C(-1, 2)$$
 and  $D(3, 3), E(3, 1), F(2, 1)$  **5.**  $J(-5, -3), K(-3, -1), L(-3, -5), M(-5, -5)$  and  $D(3, 3), E(3, 1), F(2, 1)$ 

**6.** Prove that the figures are similar.

**Given** Equilateral  $\triangle GHI$  with side length a, equilateral  $\triangle PQR$  with side length b

**Prove**  $\triangle GHI$  is similar to  $\triangle POR$ .



7. Your friend claims you can use a similarity transformation to turn a square into a rectangle. Is your friend correct? Explain your answer.

**8.** Is the composition of a dilation and a translation commutative? In other words, do you obtain the same image regardless of the order in which the transformations are performed? Justify your answer.

**9.** The image shown is known as a *Sierpinski triangle*. It is a common mathematical construct in the area of fractals. What can you say about the similarity transformations used to create the white triangles in this image?

