## **Geometry Info Sheet #25**

**Polygon Angles** 

## **Definitions**

**Polygon**: A two-dimensional closed plane figure made up of at least three straight line segments (sides) such that each segment intersects exactly two other segments at their endpoints (vertices)

A **<u>diagonal</u>** of a polygon is a segment that joins two non-adjacent vertices.

An **<u>equiangular polygon</u>** is a polygon in which all <u>angles</u> are congruent.

An **<u>equilateral polygon</u>** is a polygon in which all <u>sides</u> are congruent.

A **regular polygon** is a polygon that is both equiangular and equilateral.

The <u>center</u> of a regular polygon is the point that is equidistant (i.e., the same distance) from all vertices of the polygon.

A <u>central angle</u> of a regular polygon is an angle whose vertex is the center of the polygon and whose sides pass through two consecutive vertices of the polygon.

- **Interior Angle:** An angle inside a polygon formed by two adjacent sides of the figure; the number of interior angles in a polygon is the <u>same</u> as the number of sides of the polygon
- **Exterior Angle:** The angle formed by extending a side of a polygon; each exterior angle forms a linear pair with an interior angle; the number of exterior angles in a polygon is <u>twice</u> the number of sides of the polygon

## **Formulas**

The <b>measure of a <u>central angle</u> of a <u>regular polygon</u> with <i>n</i> sides is:</b>	$\frac{360^{\circ}}{n}$
The sum of the measures of the exterior angles of a convex polygon is:	360 degrees
The <b>measure of an <u>exterior angle</u> of a <u>regular polygon</u> with <i>n</i> sides is:</b>	$\frac{360^{\circ}}{n}$
The sum of the measures of the interior angles of a convex polygon with <i>n</i> sides is	: $180^{\circ}(n-2)$

The measure of an <u>interior angle</u> of a <u>regular polygon</u> with *n* sides is:  $\frac{180^{\circ}(n-2)}{n}$